

# ERRATUM (FOR THE THIRD PRINTING OF “BAYESIAN MODELING USING WINBUGS”)

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The following corrections were spotted in the first, second and third printings of the book and corrections will be available via the book’s website.

## **Acknowledgements**

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- Gheorghe Doros for his corrections in Chapters 8 and 9 (especially for correcting the variance of the zero inflated models in page 288).

**2** ERRATUM (FOR THE FIRST PRINTING OF "BAYESIAN MODELING USING WINBUGS")

- Vladimir Britikov (correction of gamma coefficient in page 9); David Evans (summation in eq. 8.6); Quan Li (clarification in page 17)

## Corrections

### Chapter 1

- Page 3, lines 7–8 of Section 1.3:** This equation is also called *Bayes' rule*, ~~although~~ and it was ~~originally~~ also found **independently** by Piere-Simon de Laplace **in 1774** ...
- Page 4, paragraph above Section 1.4:** Using similar arguments we can calculate the probability of a nonsmoker to develop the disease, which is equal to ~~0.0099~~ **0.00577** and the relative risk (RR) is equal to

$$RR = \frac{P(\text{case}|\text{smoker})}{P(\text{case}|\text{nonsmoker})} = \frac{0.0185}{\del{0.0099} \mathbf{0.00577}} = \del{1.87} \mathbf{3.2} .$$

Therefore, the probability for a smoker to develop lung cancer is **87% higher than 3.2 times** the corresponding probability for nonsmokers.

- Page 7, 2nd line from the bottom:**

$$f(\lambda) = \frac{b^a}{\Gamma(a)} \del{\lambda^{a-1}} \lambda^{a-1} e^{-b\lambda}.$$

- Page 9, lines 4 and 7:**  $\frac{\Gamma(a)\Gamma(b)}{\Gamma(a+b)} \rightarrow \frac{\Gamma(a+b)}{\Gamma(a)\Gamma(b)}$

- Page 10, 6th line of the 2nd block of equations:**

$$\propto \exp\left(-\frac{1}{2} \left\{ \left[ \frac{n}{\sigma^2} + \frac{1}{\sigma_0^2} \right] \mu^2 - 2\mu \left[ \frac{n\bar{y}}{\sigma^2} + \frac{\mu_0}{\sigma_0^2} \right] \right\}\right)$$

- Page 11, 1st line after 2nd equation:** In  $\text{NIG}(\tilde{\mu}, \tilde{c}, \tilde{a}, b)$  and  $\text{NG}(\tilde{\mu}, \tilde{c}, \tilde{a}, b)$ ,  $b$  must be replaced by  $\tilde{b}$ .
- Page 12, 2 lines above Section 1.5.5:**  ~~$n > 2 - 2a$~~  and  ~~$n > 4 - 2a$~~  .
- Page 17, line 6:** The actual posterior distributions are  $\text{gamma}(8.001, 8.001)$  and  $\text{gamma}(4.001, 8.001)$  assuming the prior described in the previous sections. Parameters are rounded to the closest integer for simplicity.

### Chapter 2

- Page 33, equation in the middle of the page:**

$$\del{Y}_0 \sim \text{binomial}(\pi_0, n_0) \text{ and } \del{Y}_1 \sim \text{binomial}(\pi_1, n_1)$$

- Page 39, 2nd equation in item 2:** A square root sign is missing from the right part of the equation. The correct expression is the following

$$\widehat{SD}(G(\boldsymbol{\theta})|\mathbf{y}) = \sqrt{\frac{1}{T' - 1} \sum_{t=1}^{T'} [G(\boldsymbol{\theta}^{(t)}) - \widehat{E}(G(\boldsymbol{\theta})|\mathbf{y})]^2} .$$

#### 4 ERRATUM (FOR THE FIRST PRINTING OF "BAYESIAN MODELING USING WINBUGS")

1. **Page 46, 2nd paragraph, 3rd line:** "... convergence of the chain cannot be accelerated ..."
2. **Page 63, last line of the R code:**  $H=T \rightarrow H=H$ .
3. **Page 77, after second enumeration:** "Clearly, in 2 3, ..."
4. **Page 79, the title of the computational not:** COMPUTATIONAL NOTE (~~DI~~ for mixture models WinBUGS) (Sampling from truncated distributions)

### Chapter 3

1. **Page 96, 2nd line from the bottom:** "... and for  $x < a, \dots$ "  $\rightarrow$  "... and for  $x < -a, \dots$ ".
2. **Page 105, 3rd lines of the 3rd block of code:** Must be replaced by  
2, 14, 5, 17, 8, 20, 11, 23,

### Chapter 4

1. **Page 126, equation after the 1st code:** Add subscript  $i$  in  $\pi$ :

$$\prod_{i=1}^8 \pi_i^{y_i} (1 - \pi)^{N_i - y_i} \rightarrow \prod_{i=1}^8 \pi_i^{y_i} (1 - \pi_i)^{N_i - y_i}$$

### Chapter 8

1. **Page 279, 4th line of Section 8.2.1:** The variance is equal to  $\text{Var}(Y_i) = \mu_i \tau^{-1}$ .
2. **Page 283, 2nd line after the DI expression:** The correct variance expression is  $V(Y) = \lambda(\lambda + r)/r$ .
3. **Page 283, 8th line from the bottom:** The correct expression is  $\text{logit}(\pi) = \log(r) - \eta$  instead of  $\text{logit}(\pi) = -r - \eta$ .
4. **Page 288, 8th line from the bottom:** The correct expression for the variance is

$$V(Y) = (1 - \pi_0) \left( V(Y_D) + \pi_0 [E(Y_D)]^2 \right);$$

i.e.  $E(Y_D)$  must be raised in the power of two. The corresponding codes of example 8.3 were corrected and uploaded in the web-page.

5. **Page 288, 7th line from the bottom:** The correct expression for DI is  $\text{DI} = V(Y_D)/E(Y_D) + \pi_0 E(Y_D)$ .
6. **Page 291, rows 13–16 of Table 8.6:** The results using the correct formula for the variance in page 288 are the following:

Parameter <sup>a</sup>	ZIP	ZINB	ZIGP	Generalized Poisson
Var( $Y_1$ )	18.62 (16.60, 20.82)	43.89 (33.26, 59.46)	45.01 (33.13, 62.86)	71.47 (43.65, 122.4)
Var( $Y_2$ )	17.27 (15.61, 19.00)	35.48 (26.47, 48.10)	37.50 (27.00, 52.95)	75.44 (40.71, 144.0)
DI <sub>1</sub>	3.18 (2.74, 3.67)	7.44 (6.08, 9.27)	7.66 (6.09, 7.54)	12.00 (8.38, 17.52)
DI <sub>2</sub>	4.03 (3.61, 4.48)	8.22 (6.77, 10.15)	8.64 (6.91, 8.51)	16.87 (11.07, 26.79)

7. **Page 292, lines 9–10 in the WinBUGS code:**  $x_3$  must be substituted by  $z_3$ . The correct code is the following

```
z1[1] <- y1[i] - z3[i]
z2[1] <- y2[i] - z3[i]
```

8. **Page 293, lines 2 and 6 of Example 8.4:** The actual sample size is 200 and not 100.
9. **Page 297, 5th line from the bottom:** The correct expression for the likelihood of a survival model is given by

$$f(\mathbf{y}|\boldsymbol{\xi}, \boldsymbol{\theta}) = \prod_{i=1}^n f(y_i|\boldsymbol{\theta})^{1-\xi_i} S(y_i|\boldsymbol{\theta})^{\xi_i}$$

10. **Pages 299, eq. 8.6:** The subscript in the summation must be  $j$  and not  $i$  and should take values from 1 to  $p$ ; correct expression  $\sum_{j=1}^p$ .

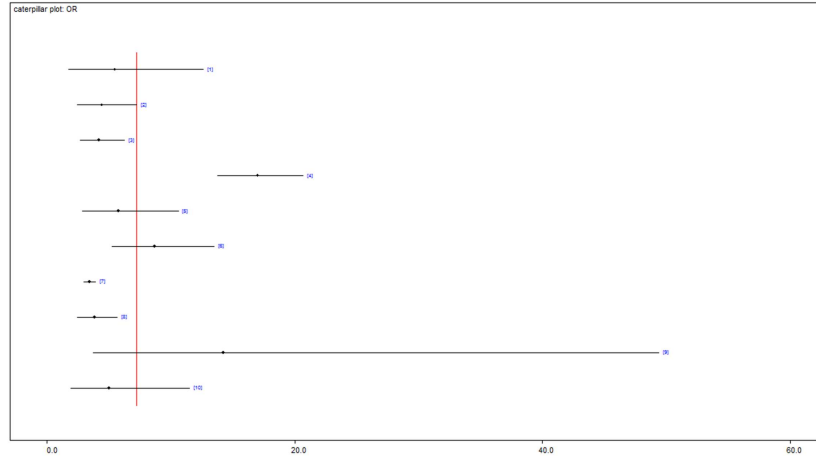
## Chapter 9

- Pages 310, 3rd line:**  $\sigma I_2 \rightarrow \sigma^2 I_K$ .
- Pages 315, line 2 of the 2nd paragraph:** The DIC value is actually 73.1 and not 67.8 (which is the  $\bar{D}$ ).
- Pages 319–321, example 9.4:** The data for study 8 and the code of this example was wrong. More specifically
  - Page 319, Table 7:** The odds ratio for the 7th study is ~~12.41~~3.41.
  - Page 319, 1st line after the block of equations:**  $\hat{\sigma}_k^2$  must be replaced by  $\hat{\sigma}_k$ .
  - Page 320, 1st block of code:** The correct code is the following

```
for (k in 1:K1){
  logor[k] <- log(or[k])
  selogor[k] <- log(U[k]/L[k])/(2*1.96)
  precision.logor[k] <- 1/pow( selogor[k], 2)
  logor[k] ~ dnorm( theta[k], precision.logor[k] )
  logor[k] ~ dnorm( theta[k], selogor[k] )
  theta[k] ~ dnorm( mu.theta, tau.theta )
  OR[k] <- exp(theta[k])
}
```

d. **Page 320, 2nd paragraph from the end of Section:** The posterior mean of the overall odds ratio is found equal to ~~5.285.92~~, with 95% of the posterior values ranging from ~~3.333.55~~ to ~~9.059.44~~. Error bars of the estimated odds ratios of each study using the hierarchical model presented above are depicted in Figure 9.6.

e. **Page 321, Figure 9.6:** must be replaced by the following figure



The corrected pages of this example will be also available in a pdf file in the book's website.

4. **Pages 328, 3rd line from the bottom:**  $n = 60$  is missing. The correct data code is the following  

```
list( n=60, F=c(0,7, 9,23,60), Y1=c(0,1,0,1), Y2=c(0,0,1,1) )
```
5. **Pages 330-331:** Items must be denoted with  $t$  instead of  $j$ ; similarly  $s_j$  must be replaced by  $s_t$ .

## Chapter 11

1. **Page 391, lines 3–5 of Section 11.2:** Let us consider the usual normal prior distribution for  $\theta$  under the ~~null~~ alternative hypothesis centered around the value of the alternative  $H_0$ .
2. **Page 396, 6th line from the bottom:**

$$= \hat{f}(\theta_1^* | \mathbf{y}, m) \prod_{j=1}^d \hat{f}(\theta_j^* | \theta_1^*, \dots, \theta_{j-1}^*, \mathbf{y}, m)$$

3. **Page 396, 3rd and 4th line from the bottom:**

$$\hat{f}(\theta_1^* | \mathbf{y}, m) = \frac{1}{T} \sum_{t=1}^T f(\theta_1^{*(t)} | \theta_2^{(t)}, \dots, \theta_d^{(t)}, \mathbf{y}, m)$$

$$\hat{f}(\theta_j^* | \theta_1^*, \dots, \theta_{j-1}^*, \mathbf{y}, m) = \frac{1}{T} \sum_{t=1}^T f(\theta_j^{*(t)} | \theta_1^{*(t)}, \dots, \theta_{j-1}^{*(t)}, \theta_{j+1}^{(t)}, \dots, \theta_d^{(t)}, \mathbf{y}, m).$$

4. **Page 415**, : "... when we use independent priors ~~are used~~ ..."
5. **Page 416, lines 4 and 5**: Must be replaced by

```
mb0 <- prop.mean.beta0  
taub0 <- (gamma0/n + (1-gamma0))/pow(prop.sd.beta0, 2)
```

## Appendix A

1. **Page 440, line 8 (number 7 in the list)**: Must be deleted since it is stated also in line 4.
2. **Page 440, 2nd line from the bottom (number 3 in the second list)**: " $a \rightarrow \mu_a$ "  $\rightarrow$  " $\mu_a \rightarrow a$ ".